



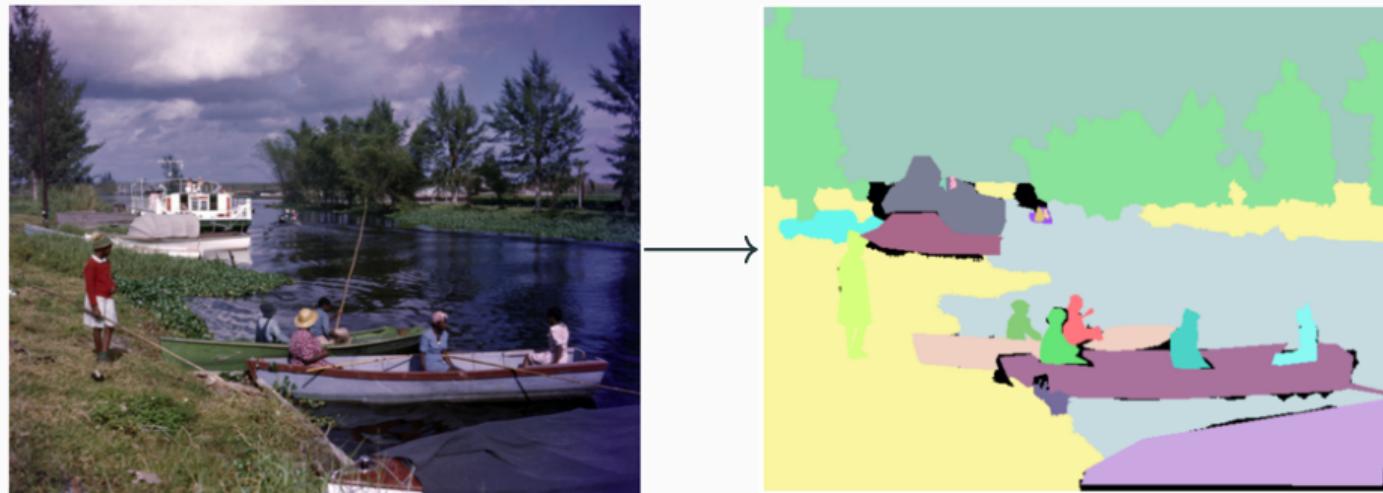
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Combinatorial Optimization for Panoptic Segmentation: A Fully Differentiable Approach

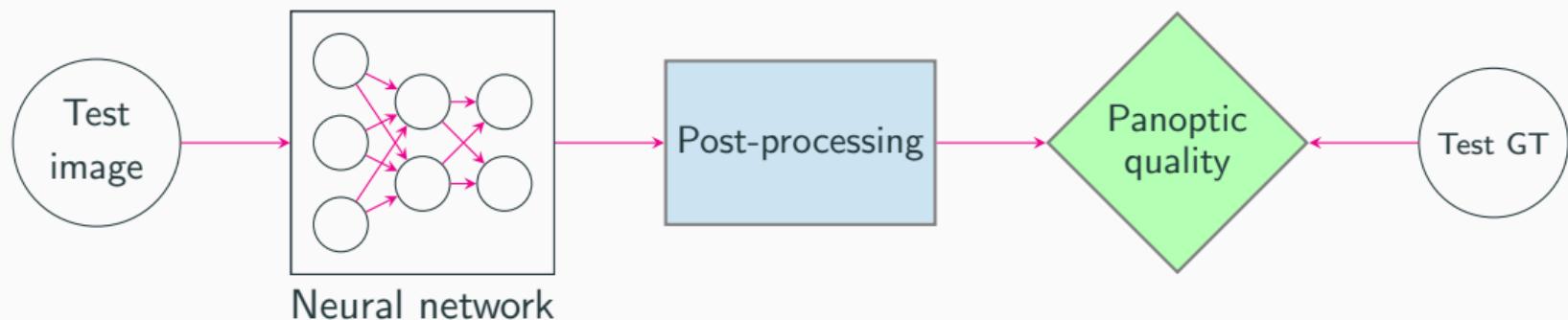
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Panoptic segmentation = Semantic \cup Instance seg.

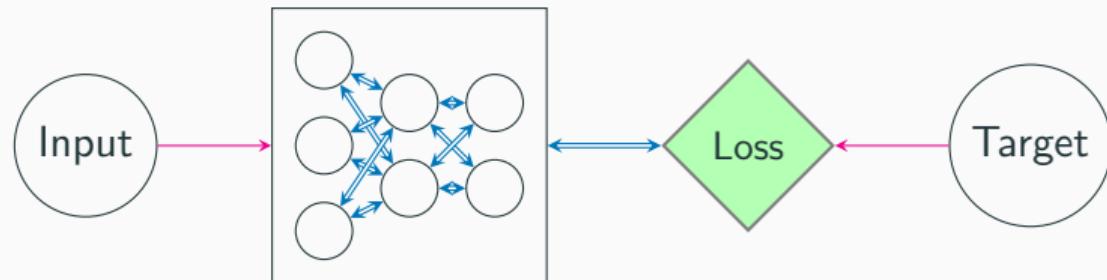


Evaluation pipeline for panoptic segmentation



Conventional training pipeline

- Post-processing block not part of training
- Test-time evaluation metric not used in training



Motivation

Existing methods

1. Do not optimize for panoptic labels
2. Require many parameters (e.g. loss balancing weights, post-processing)
3. Complex architecture (e.g. additional Mask-RCNN for ROI)

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Our aims

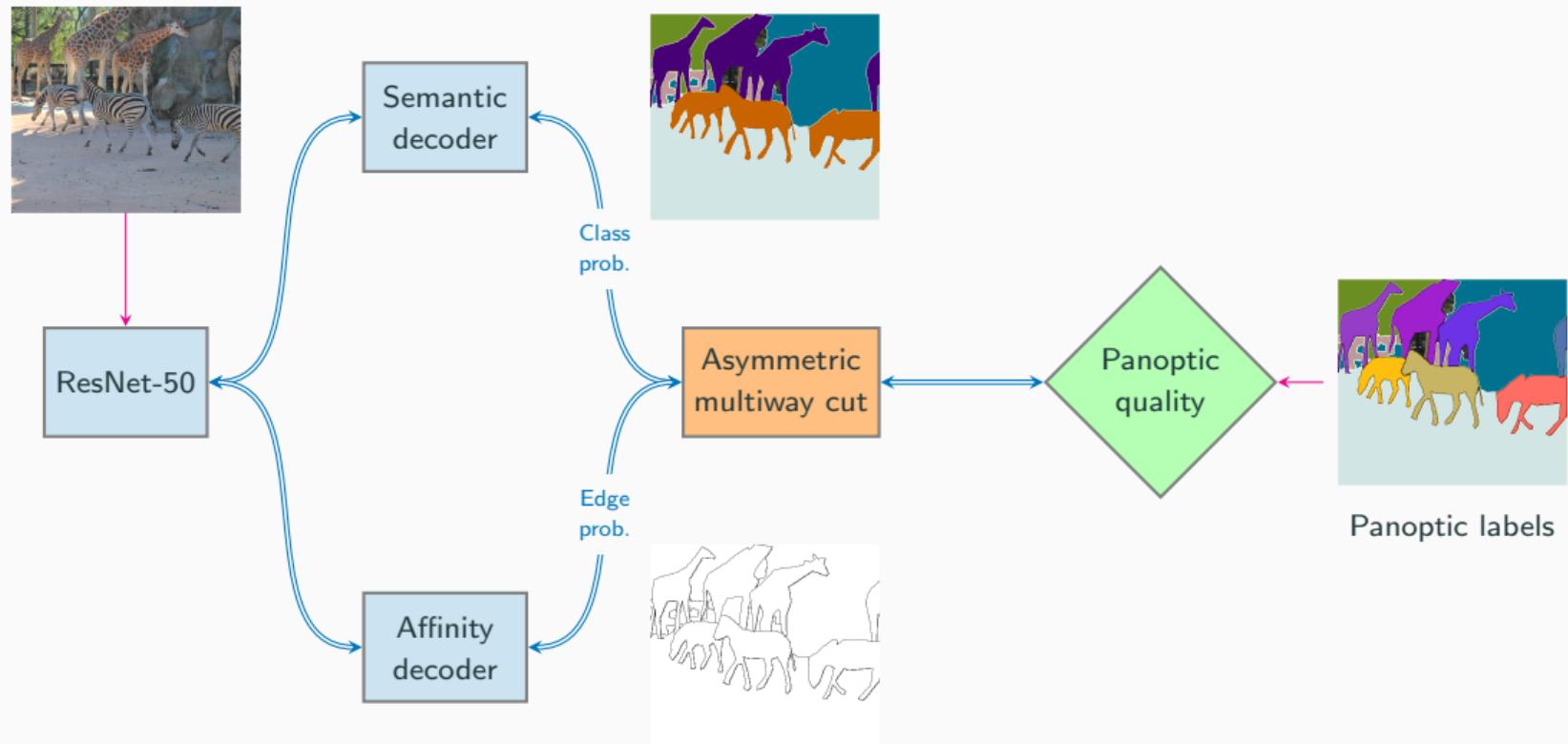
1. Fully differentiable pipeline
2. Optimize for the evaluation metric
3. Fewer hyperparameters
4. Use ‘standard’ neural network architecture (ResNet50)

Literature review

Methods	Simplicity	Params.		End-to-end	Optimize PQ	Performance
	Train	Eval				
MaxDeepLab ¹	Red	Yellow	Red	Green	Yellow	Green
EfficientPS ²	Red	Red	Red	Red	Red	Green
AxialDeepLab ³	Yellow	Yellow	Yellow	Red	Red	Yellow
PanopticDeepLab ⁴	Green	Yellow	Yellow	Red	Red	Yellow
UPSNet ⁵	Red	Red	Yellow	Red	Red	Yellow
SMW ⁶	Green	Red	Green	Red	Red	Red
SSAP ⁷	Green	Yellow	Green	Red	Red	Red
Our aim	Green	Yellow	Green	Green	Green	?

¹Wang 2020b, ²Mohan 2021, ³Wang 2020a, ⁴Cheng 2020, ⁵Xiong 2019, ⁶Wolf 2020, ⁷Gao 2019

Our pipeline



Multiway cut (MWC) - Calinescu 2008

Generalization of graph-cut on $G = (V, E)$ for $K > 2$

$$\begin{aligned} \min_{\substack{x: V \rightarrow \{1, \dots, K\}, \\ y: E \rightarrow \{0, 1\}}} \quad & \sum_{i \in V} c_V(i, x(i)) + \sum_{ij \in E} c_E(ij) y(ij) \\ \text{s.t.} \quad & y(ij) = 0, \text{ if } x(i) = x(j) \\ & y(ij) = 1, \text{ if } x(i) \neq x(j) \end{aligned}$$

Multiway cut (MWC)

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c_V, c_E : Semantic, edge costs

$x(i)$: Semantic label of i in V

$$y(ij) = \begin{cases} 0, & i, j \text{ belong to same instance} \\ 1, & i, j \text{ belong to different instance} \end{cases}$$

B : Enforce valid clustering

Multiway cut (MWC)

Generalization of graph-cut on $G = (V, E)$ for $K > 2$

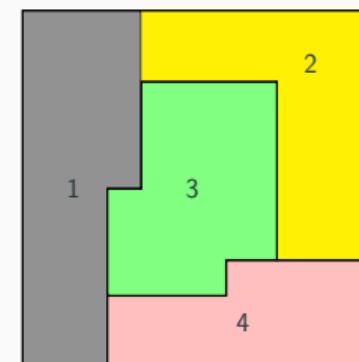
$$\begin{aligned} \min_{\substack{x: V \rightarrow \{1, \dots, K\}, \\ y: E \rightarrow B \cap \{0, 1\}}} \quad & \sum_{i \in V} c_V(i, x(i)) + \sum_{ij \in E} c_E(ij) y(ij) \\ \text{s.t.} \quad & y(ij) = 0, \text{ if } x(i) = x(j) \\ & y(ij) = 1, \text{ if } x(i) \neq x(j) \end{aligned} \quad K = 4$$

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B : Enforce valid clustering



Asymmetric multiway cut (AMWC) - Kroeger 2014

AMWC on graph $G = (V, E)$

$$\min_{\substack{x: V \rightarrow \{1, \dots, K\}, \\ y: E \rightarrow B \cap \{0, 1\}}} \sum_{i \in V} c_V(i, x(i)) + \sum_{ij \in E} c_E(ij)y(ij)$$

$$K = 4, P = \{3\}$$

$$\begin{aligned} \text{s.t. } y(ij) &= 0, \text{ if } x(i) = x(j) \notin P \\ y(ij) &= 1, \text{ if } x(i) \neq x(j) \end{aligned}$$

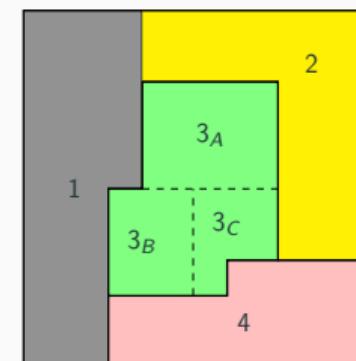
c_V, c_E : Semantic, edge costs

B : Enforce valid clustering

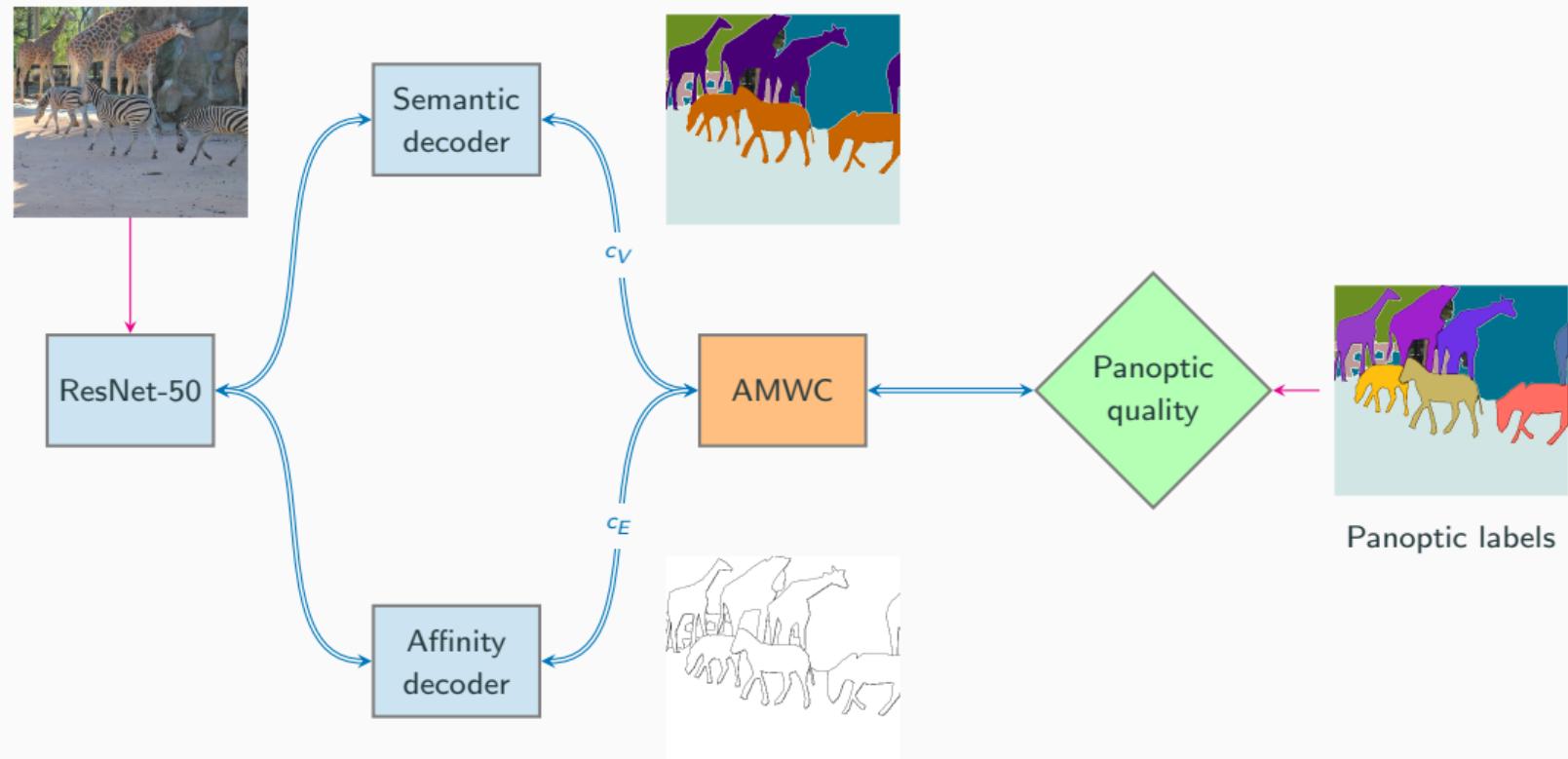
$P \subset [K]$: Partitionable classes

$x(i)$: Semantic label of i in V

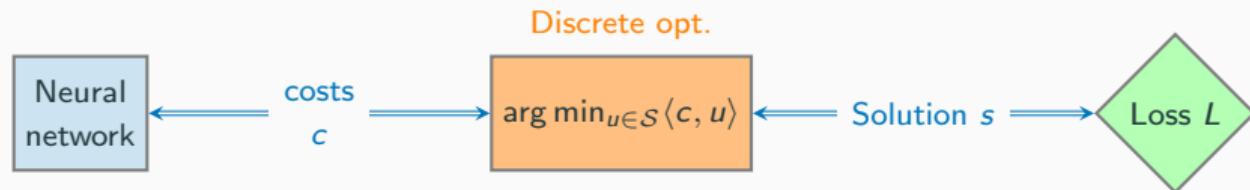
$$y(ij) = \begin{cases} 0, & i, j \text{ belong to same instance} \\ 1, & i, j \text{ belong to different instance} \end{cases}$$



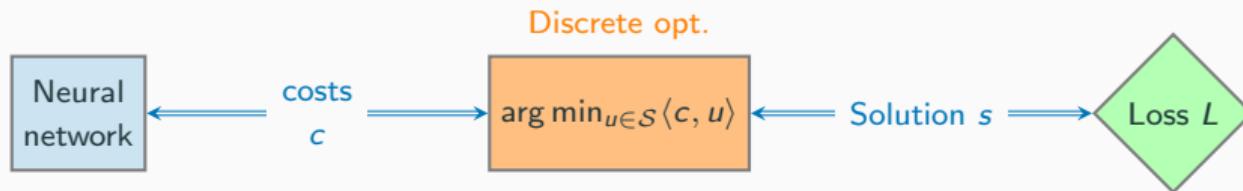
Recap: our pipeline



Gradient estimation through discrete optimization layers



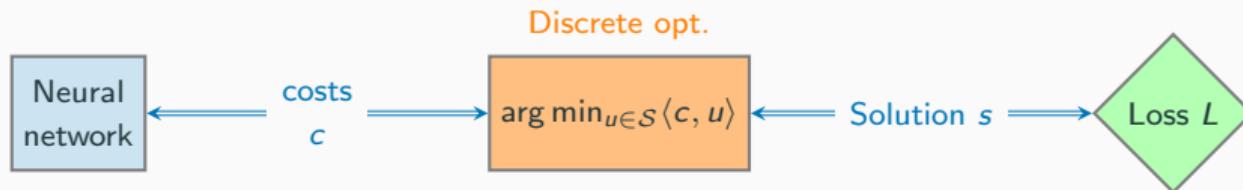
Gradient estimation through discrete optimization layers



Build on the approach of Vlastelica 2019

$$\frac{\partial L_\lambda}{\partial c} = \frac{1}{\lambda} \left[\textcolor{orange}{s}(c + \lambda \frac{\partial L}{\partial s}) - \textcolor{orange}{s}(c) \right]$$

Gradient estimation through discrete optimization layers



Build on the approach of Vlastelica 2019

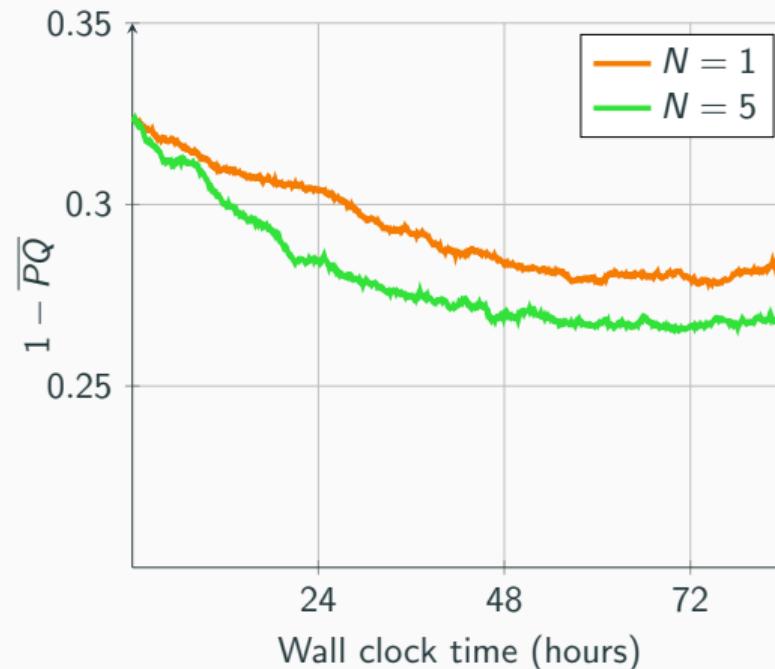
$$\frac{\partial L_\lambda}{\partial c} = \frac{1}{\lambda} \left[\mathbf{s}(c + \lambda \frac{\partial L}{\partial s}) - \mathbf{s}(c) \right]$$

Our extension

$$\frac{\partial L_{\text{avg}}}{\partial c} = \frac{1}{N} \sum_i^N \frac{\partial L_{\lambda_i}}{\partial c}, \quad \lambda_i \sim \mathcal{U}(a, b)$$

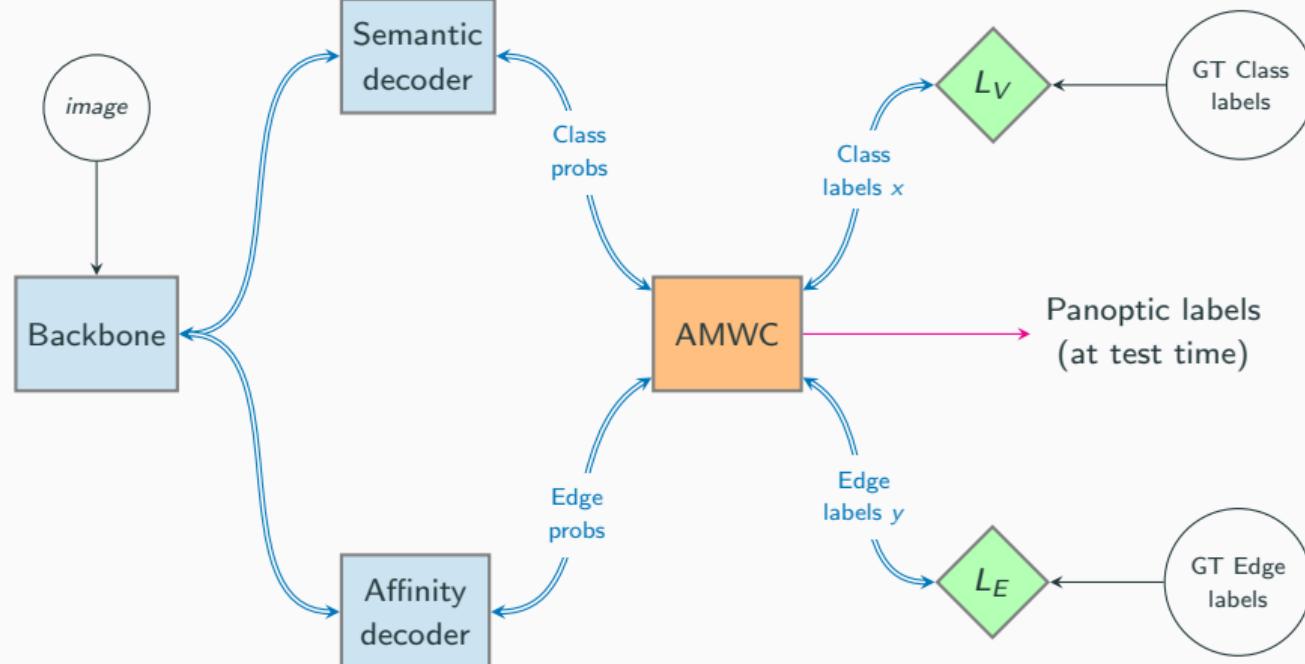
- Averages gradients over multiple scales
- $3\times$ faster convergence

Contribution 1: Improved gradient estimation



Training loss comparison ($N = 5$: our extension with **improved convergence**)

Panoptic Segmentation: Naïve fully differentiable pipeline



Naïve pipeline: Gradient estimation through AMWC

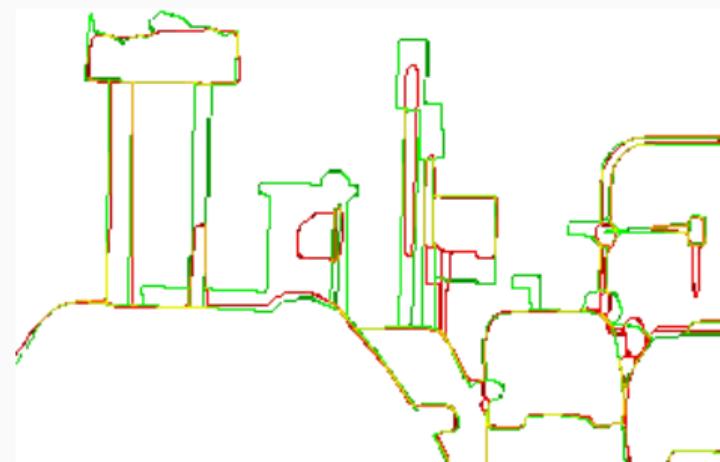
Perturb semantic, edge costs by respective gradients

$$\begin{aligned} & \min_{\substack{x: V \rightarrow \{1, \dots, K\}, \\ y: E \rightarrow B \cap \{0,1\}}} \sum_i \left[c_V(i, x(i)) + \frac{\partial L_V}{\partial x}((i, x(i))) \right] + \sum_{ij} \left[c_E(ij) + \frac{\partial L_E}{\partial y}(ij) \right] y(ij) \\ \text{s.t. } & y(ij) = 0, \text{ if } x(i) = x(j) \notin P \\ & y(ij) = 1, \text{ if } x(i) \neq x(j) \end{aligned}$$

Panoptic Segmentation: Naïve fully differentiable pipeline

Does not perform well:

- Edge misclassifications are **not** equally important
- At test-time we care about pixel labels not edge labels
- Need to optimize test-time metric of panoptic quality (PQ)



Edge labels: **ground-truth**, **prediction**, **correct predictions**

Contribution 2: Optimize panoptic quality surrogate

Approximate non-differentiable panoptic quality metric

$$PQ = \frac{\sum_{(p,g) \in TP} IoU(p, g)}{|TP| + 0.5(|FP| + |FN|)}$$

by

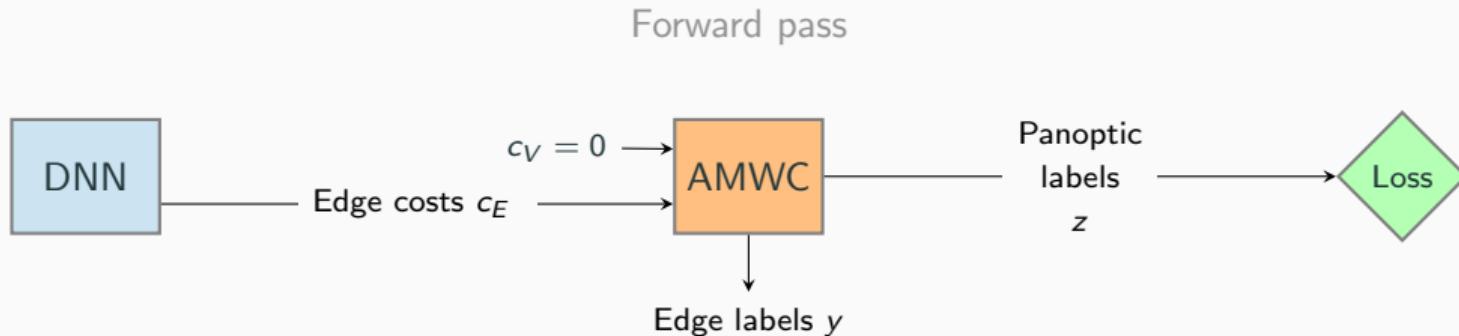
$$\overline{PQ} = \frac{\sum_{(p,g) \in \overline{TP}} h(IoU(p, g)) \sigma(p) IoU(p, g)}{\sum_{(p,g) \in \overline{TP}} h(IoU(p, g)) \sigma(p) + 0.5 \{ \sum_{p \in \overline{FP}} \sigma(p) + |\overline{FN}| \}}$$

where

$h(\cdot)$: Soft-thresholding

$\sigma(p)$: Foreground probability (from mask area)

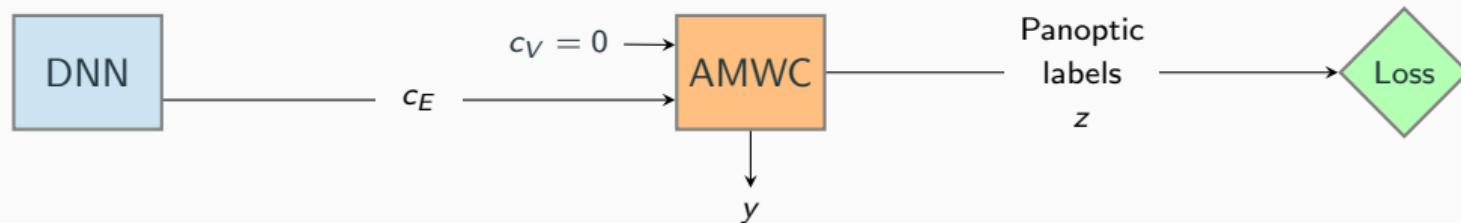
Contribution 3: Backprop with loss on panoptic labels ($K = 1$)



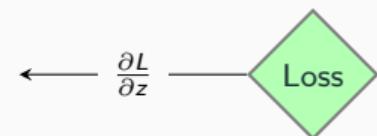
Ignored semantic costs c_V for brevity

Contribution 3: Backprop with loss on panoptic labels ($K = 1$)

Forward pass



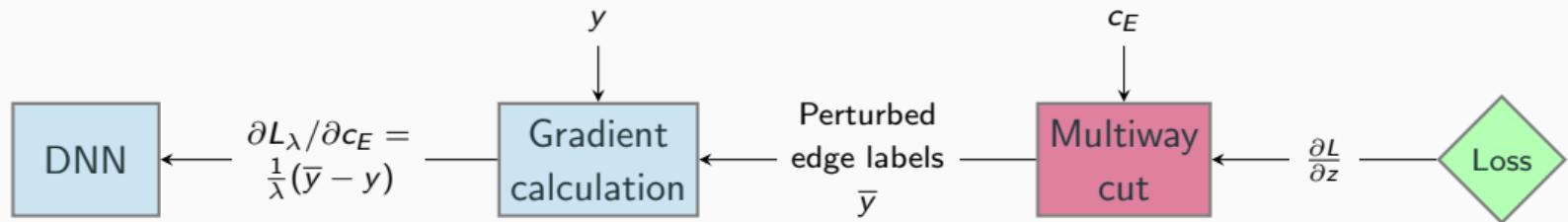
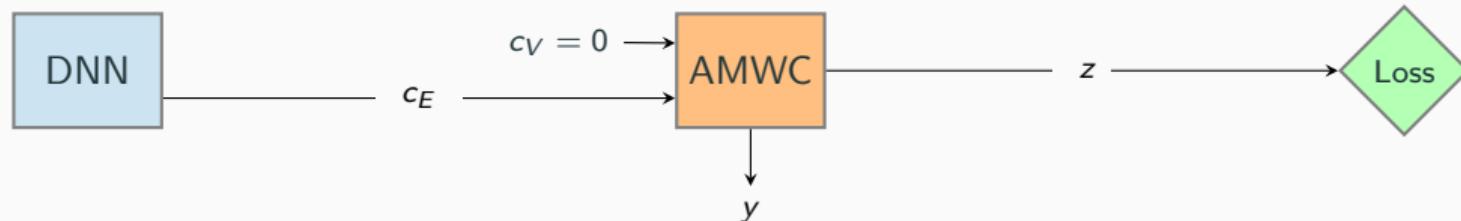
Backward pass



Ignored semantic costs c_V for brevity

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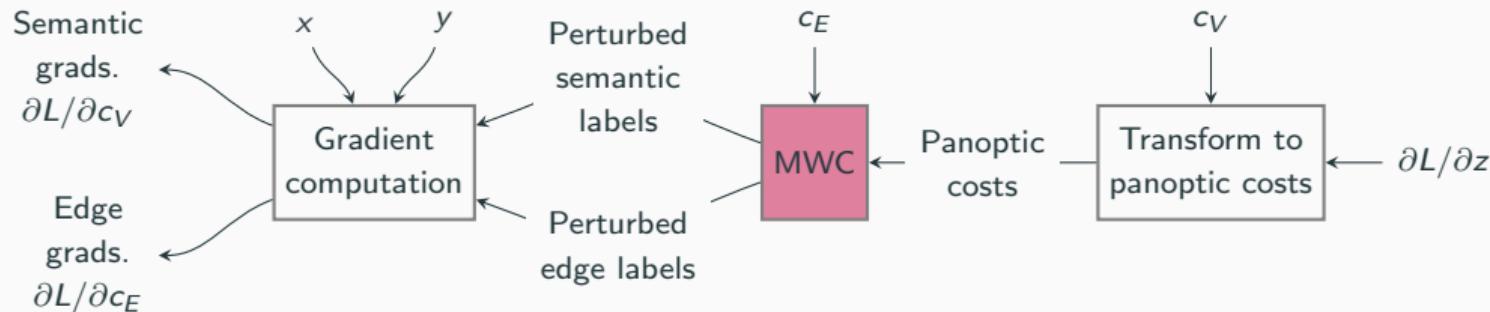
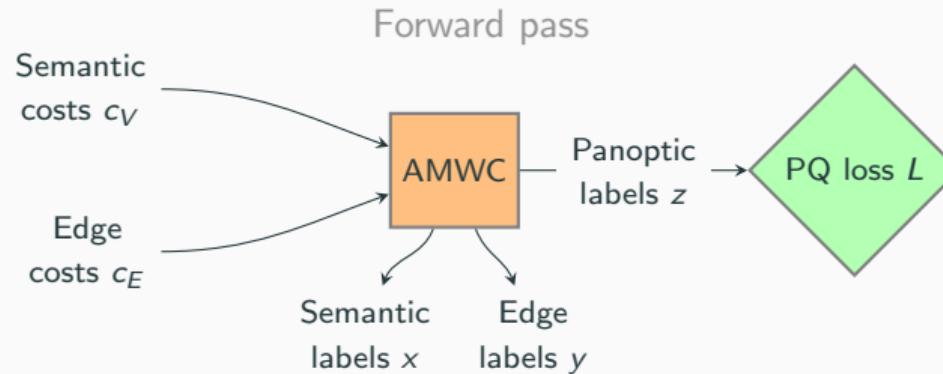
Forward pass



Backward pass

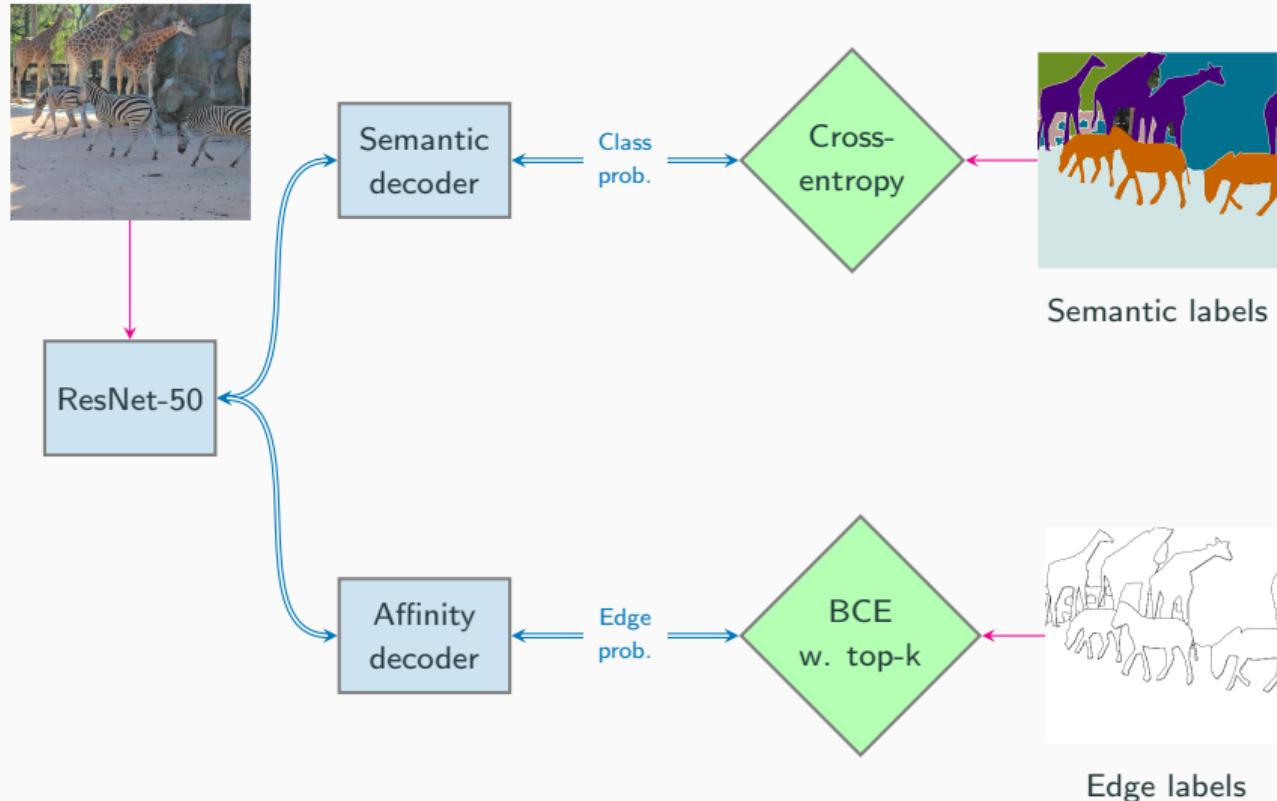
Ignored semantic costs c_V for brevity

Contribution 3: Full backprop ($K \geq 1$) with loss on panoptic labels



Backward pass with transformation to panoptic label space

Baseline: train by ‘usual’ losses



Results

- Outperform all comparable approaches
- Sometimes, even with a disadvantage (e.g. smaller backbone)

Methods	Architecture	Hyperparameters		E-to-E	Opt. PQ	Panoptic qual.	
		Train	Eval			Citysc.	COCO
MaxDeepLab						-	49.3
EfficientPS						63.9	-
AxialDeepLab						63.9	41.8
UPSNet						59.3	42.5
SSAP						61.1	36.5
SMW						59.3	-
PanopticDeepLab						60.2	35.1
Our baseline						58.5	34.3
Our fully differentiable						62.1	38.4

Summary

- Simple and fully differentiable pipeline for panoptic segmentation
- Improved gradient estimation through discrete optimization problems
- Optimize panoptic quality differentiable surrogate
- Transformation to MWC in backward pass to compute gradients
- First large-scale study of backpropagation through heuristic optimization solvers
- *Shortcoming:* Inference time of around 2s per image
- **Code available at:** github.com/aabbas90/COPS

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